

Microeconomics

I. Consider a following exchange economy in which there are two goods (X and Y) and two types of consumers (A and B). Each consumer is endowed with 10 units of goods X and 5 units of goods Y. Type A consumer's utility function is defined as

$$U^A(X_A, Y_A) = \log X_A + \log Y_A,$$

where X_A and Y_A are amount of goods X and Y consumed by type A consumer. Type B consumer's utility function is defined as

$$U^B(X_B, Y_B) = \log X_B + 2\log Y_B,$$

where X_B and Y_B are amount of goods X and Y consumed by consumer B. Consumers can exchange their goods in a competitive market in which p is the market price of goods X, i.e. one unit of goods X can be traded with p units of goods Y.

- (a) What is the income (the value of endowed goods under price of goods X, p) and possible expenditure for each consumer? Write down a budget constraint for each consumer. (3 point)
- (b) Define utility maximization problem for type A consumer. (2 point)
- (c) Derive first order conditions for type A consumer. (3 points)
- (d) Derive demand function of goods X for type A consumer. (3 points)
- (e) Derive demand function of goods Y for type A consumer. (2 points)
- (f) Answer questions (b) to (e) for type B consumer. (10 points)
- (g) Suppose there is 1 consumer for each type in this exchange economy, i.e., there are two consumers in total. Write down the competitive market equilibrium condition. Solve for equilibrium price p and equilibrium consumption levels for each type of consumer. (5 points)
- (h) Given the set up in (g) write down the definition of Pareto efficient resource allocation. (2 points)
- (i) Derive the conditions that Pareto efficient allocation must satisfy under the set up in (g) (3 points)

- (j) Draw box diagram and Pareto efficient resource allocation defined in (h) (2 points)
- (k) Suppose there are 2 type A consumers and 3 type B consumers, i.e. there are 5 consumers in total. Define the competitive market equilibrium conditions under this set up. (2 points)
- (l) Solve for the equilibrium price and equilibrium consumption levels for each type of consumer under the set up (j). (3 points)

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II. Explain the role of fiscal and monetary policies in the stabilization of the business cycles. (10 points)

III. Give definition to each of the following concepts;

(a) Natural Rate of Unemployment (5 points)

(b) Solow Residual (5 points)

(c) Consumption Smoothing (5 points)

(d) Money Creation (5 points)

- (a) The income is $10p+5$ and the expenditure is pX_i+Y_i , $i=\{A, B\}$. Thus a budget constraint for each consumer is $pX_i+Y_i\leq 10p+5$. (3 point)
- (b) The utility maximization problem for type A consumer is . (2 point)
- (c) Derive first order conditions for type A consumer. (3 points)
- (d) Derive demand function of goods X for type A consumer. (3 points)
- (e) Derive demand function of goods Y for type A consumer. (2 points)
- (f) Answer questions (b) to (e) for type B consumer. (10 points)
- (g) Suppose there is 1 consumer for each type in this exchange economy, i.e., there are two consumers in total. Write down the competitive market equilibrium condition. Solve for equilibrium price p and equilibrium consumption levels for each type of consumer. (5 points)
- (h) Given the set up in (g) write down the definition of Pareto efficient resource allocation. (2 points)
- (i) Derive the conditions that Pareto efficient allocation must satisfy under the set up in (g) (3 points)
- (j) Draw box diagram and Pareto efficient resource allocation defined in (h) (2 points)
- (k) Suppose there are 2 type A consumers and 3 type B consumers, i.e. there are 5 consumers in total. Define the competitive market equilibrium conditions under this set up. (2 points)
- (l) Solve for the equilibrium price and equilibrium consumption levels for each type of consumer under the set up (j). (3 points)